

Extractor Líquido-Líquido

Prof.: Dr. Alejandro S. M. Santa Cruz

J.T.P.: Dr. Juan Ignacio Manassaldi

Aux. 2^{da}: Sr. Alejandro Jesús Ladreyt

Aux. 2^{da}: Sra. Amalia Rueda

Example 10.3 A feed with a flowrate of $1000 \text{ kg}\cdot\text{h}^{-1}$ contains 30% acetic acid by mass in aqueous solution. The acetic acid (AA) is to be extracted with isopropyl ether to produce a raffinate with 2% by mass on a solvent-free basis. Equilibrium data are given in Table 10.1^{1,8}.

Table 10.1 Equilibrium data for acetic acid–water–isopropyl ether^{1,8}. (Reproduced from Cambell H, 1940, *Trans AICHE*, 36: 628 by permission of the American Institute of Chemical Engineers).

Mass fraction in water phase			Mass fraction ether phase		
Acetic acid	Water	Isopropyl ether	Acetic acid	Water	Isopropyl ether
0.0069	0.981	0.012	0.0018	0.005	0.993
0.0141	0.971	0.015	0.0037	0.007	0.989
0.0289	0.955	0.016	0.0079	0.008	0.984
0.0642	0.917	0.019	0.0193	0.010	0.971
0.1330	0.844	0.023	0.0482	0.019	0.933
0.2550	0.711	0.034	0.1140	0.039	0.847
0.3670	0.589	0.044	0.2160	0.069	0.715

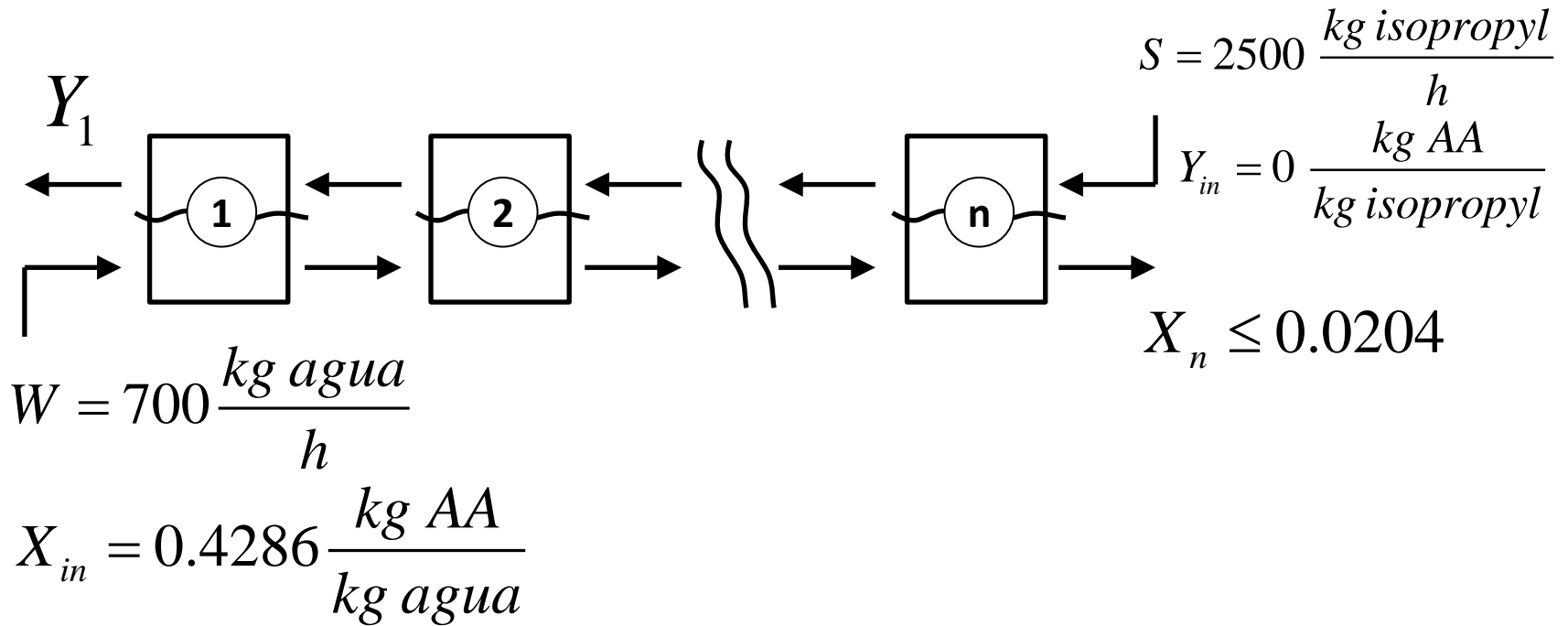
Promedio:

$$K = 0.3218$$

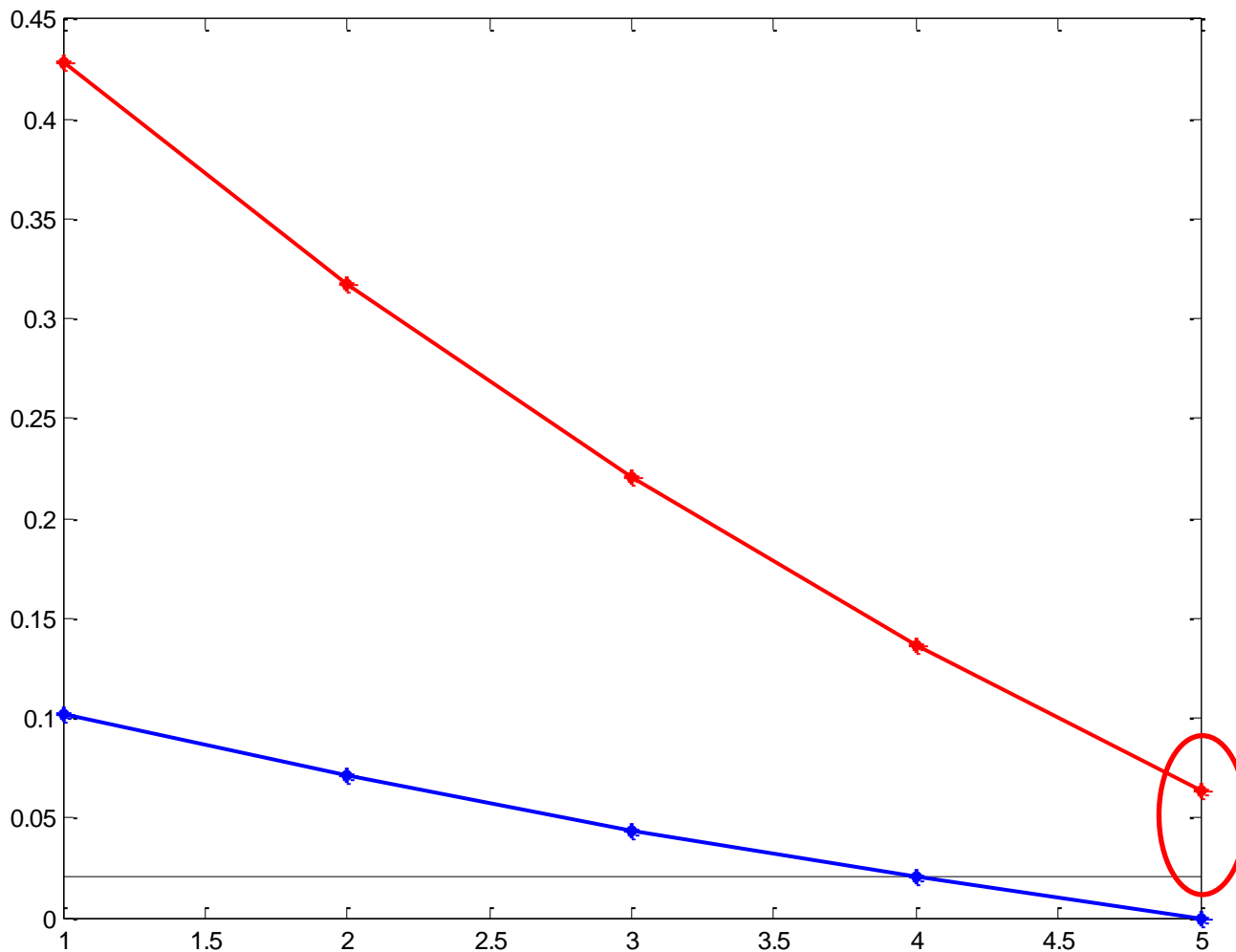
Ajuste lineal:

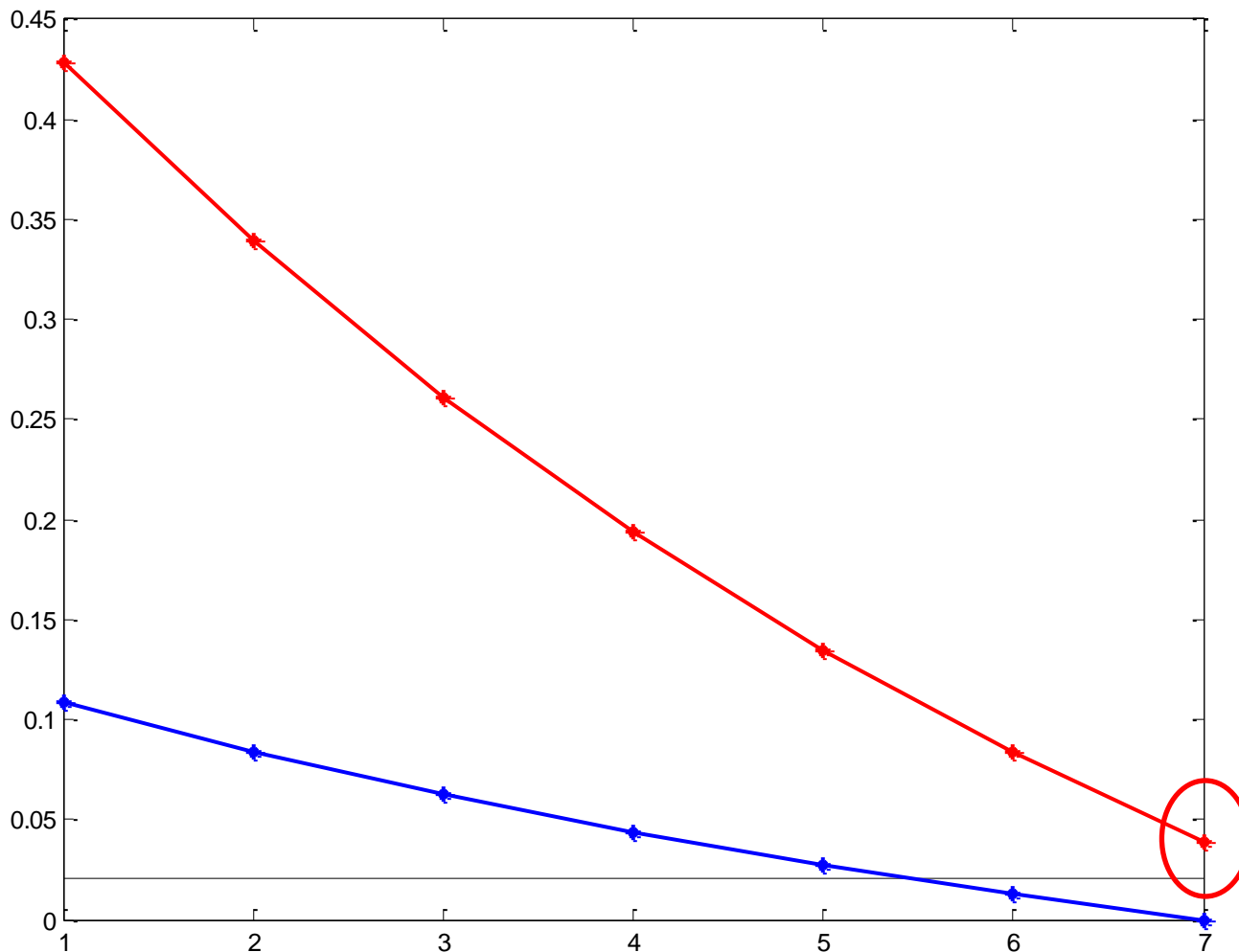
$$K_i = 0.3618 X_i + 0.2566$$

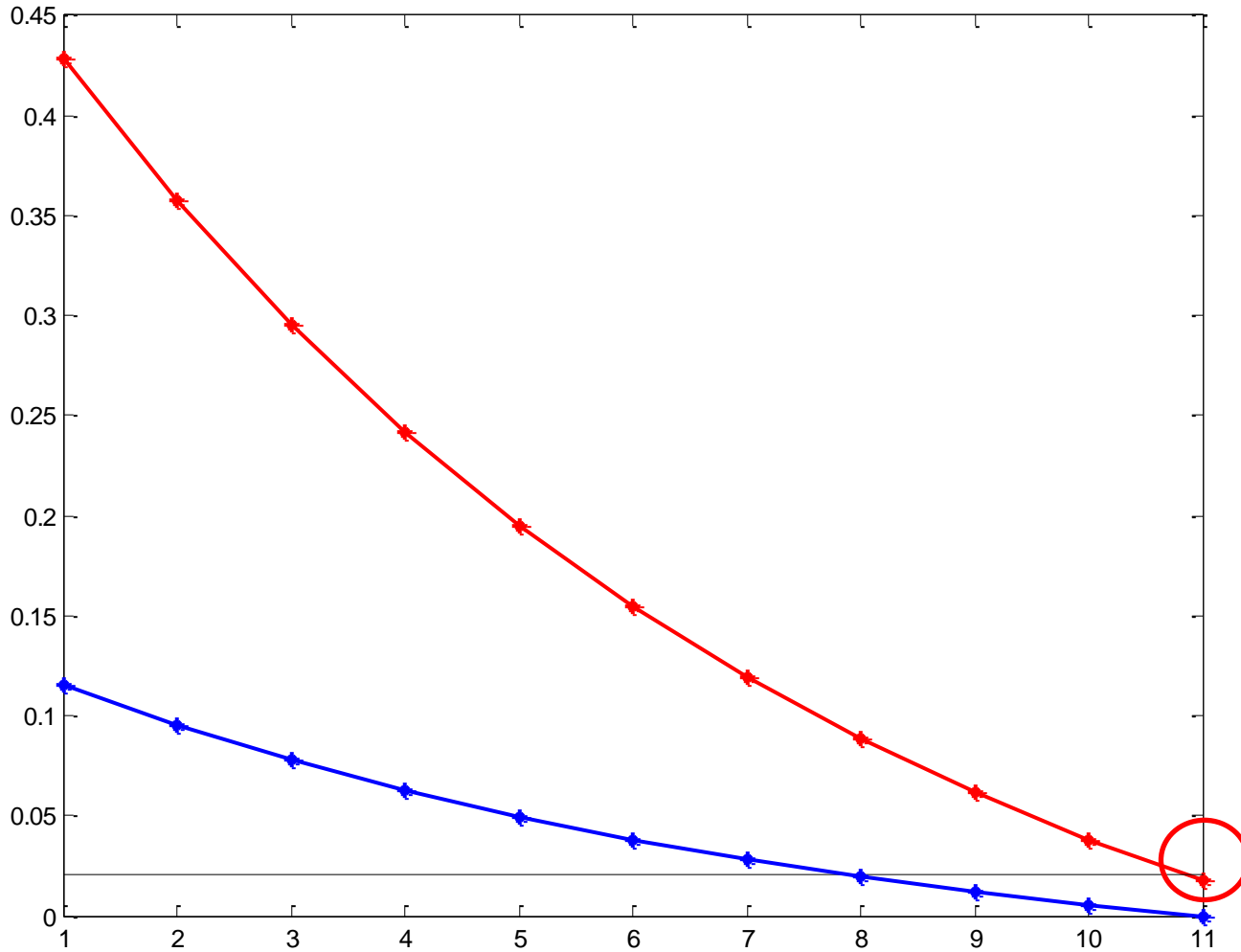
Smith, R. (2005). *Chemical Process: Design and Integration* (Chichester, West Sussex, England ; Hoboken, NJ: Wiley).

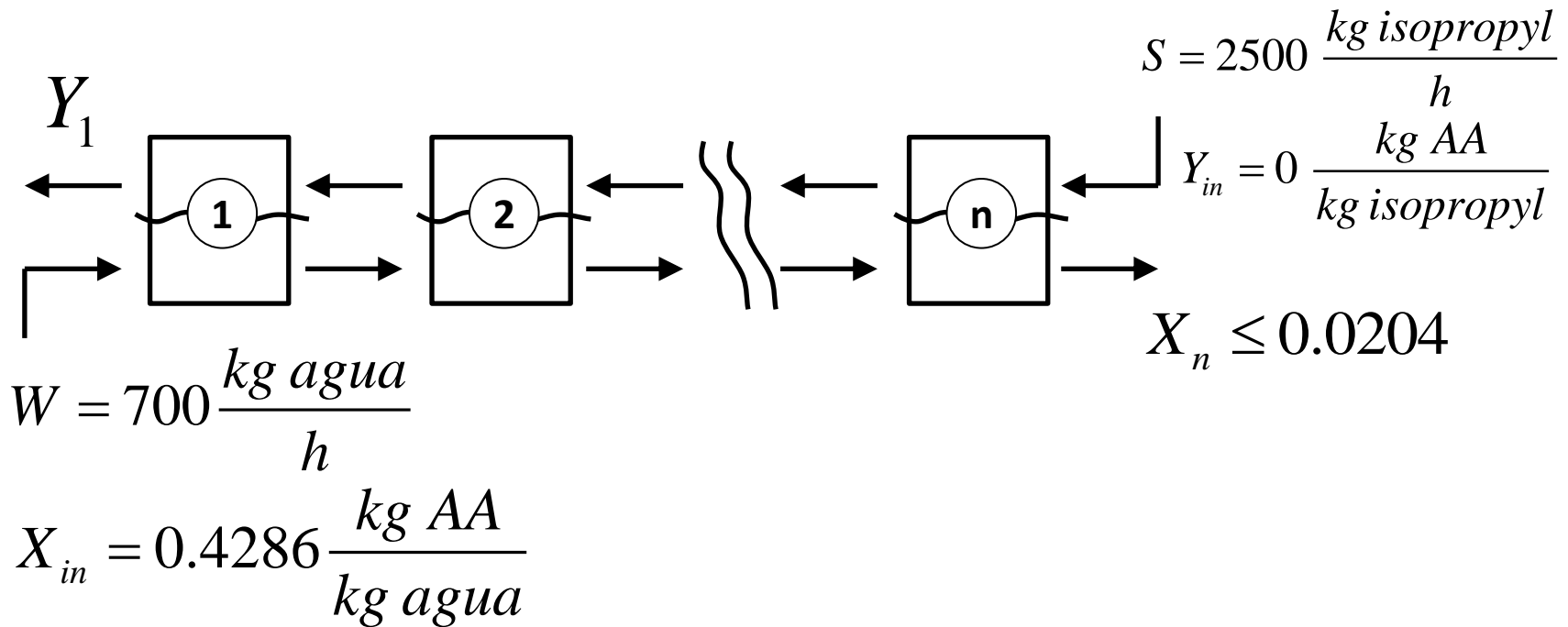


$$K = 0.3218$$

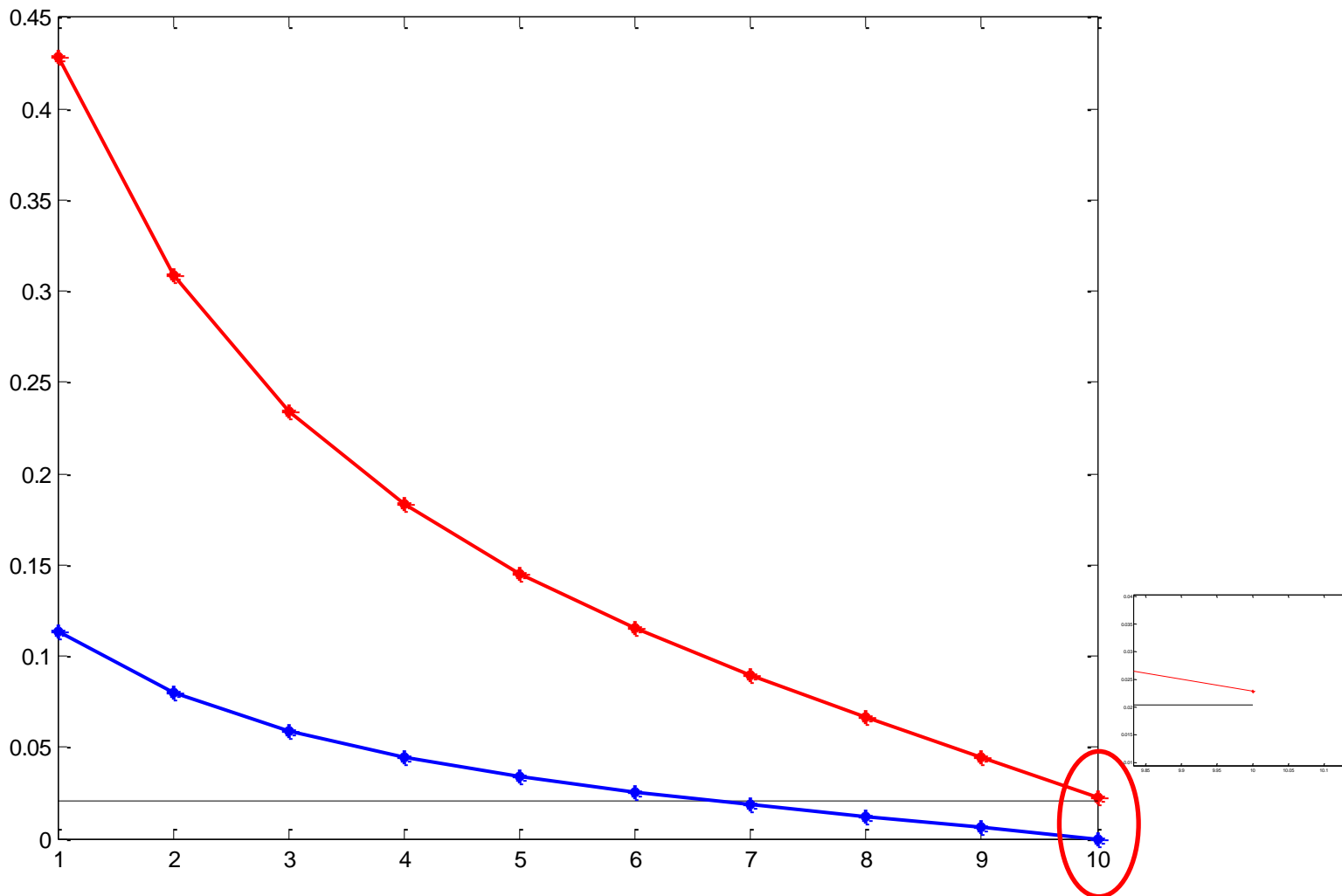


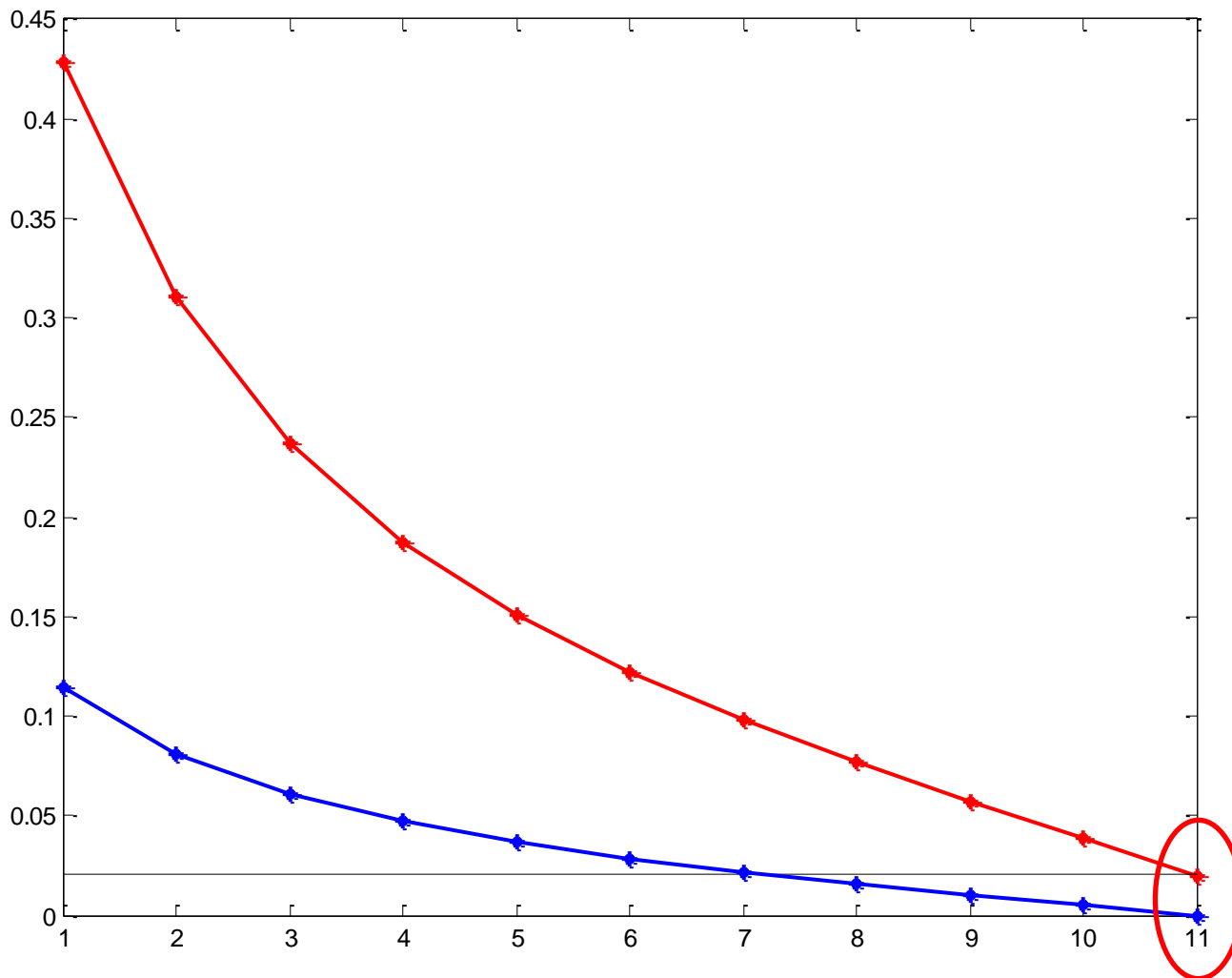


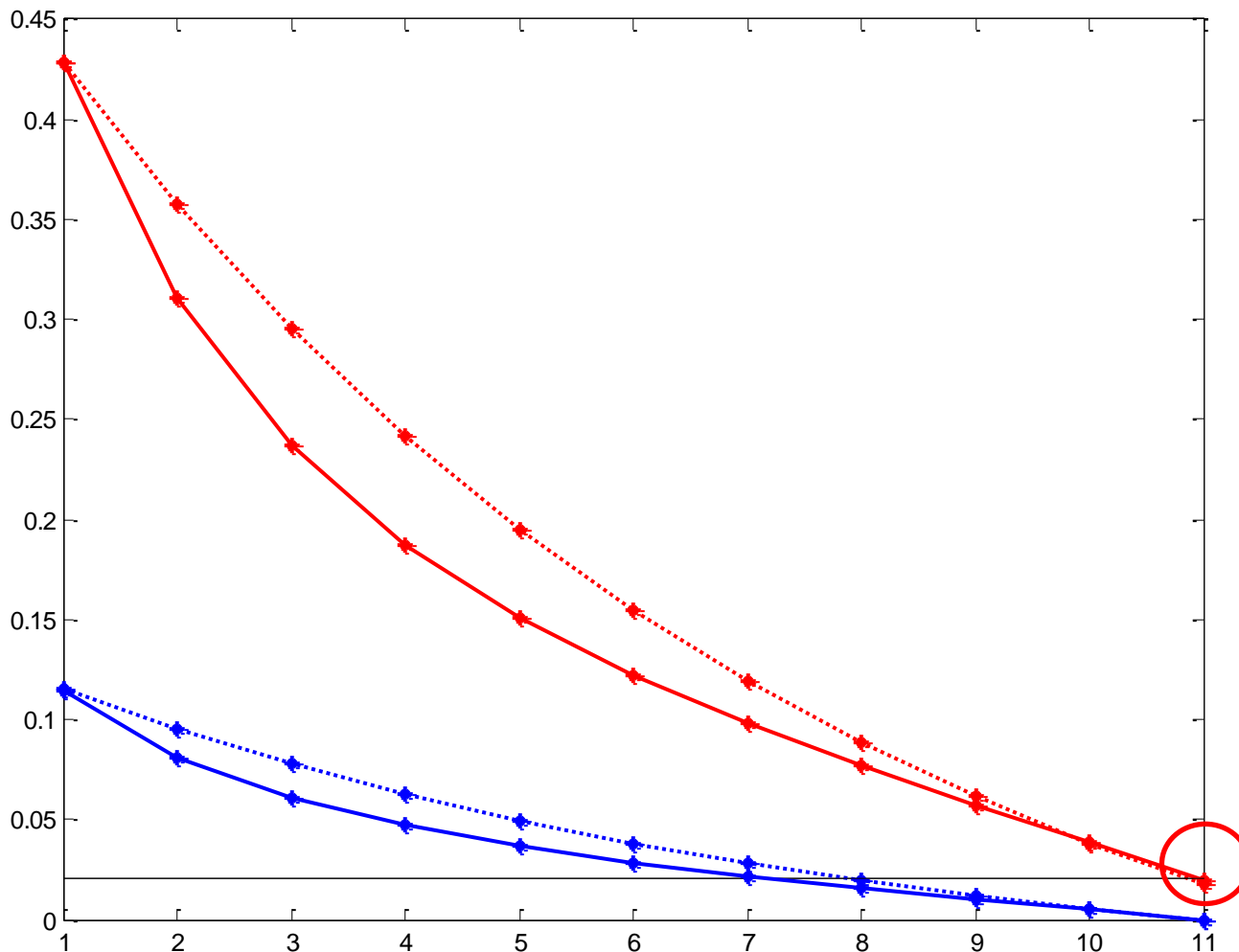


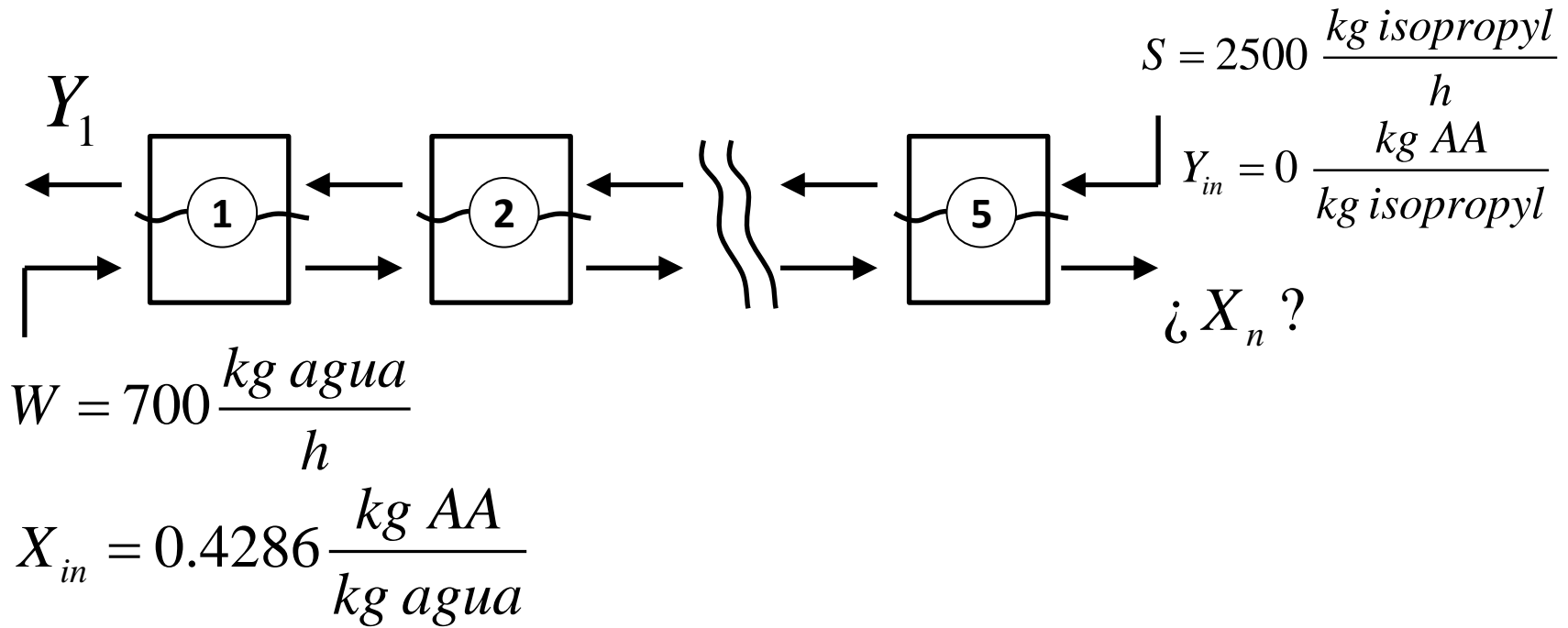


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Suponemos las composiciones de cada etapa

$$(X_1, X_2, X_3, X_4, X_5)$$

Calculamos el chi de cada etapa

$$\chi_i = \frac{S(0.3618X_i + 0.2566)}{W}$$

Resolvemos utilizando Thomas y obtenemos una solución

$$(X_1, X_2, X_3, X_4, X_5)^*$$

Comparamos la solución con los valores propuestos

$$(X_1, X_2, X_3, X_4, X_5) \quad \text{vs} \quad (X_1, X_2, X_3, X_4, X_5)^*$$

Si no son similares repetimos la operación pero con

$$(X_1, X_2, X_3, X_4, X_5) = (X_1, X_2, X_3, X_4, X_5)^*$$

--> error = sqrt(sum((x-xi).^2));

xi =	A =						x =	error =
0.4286	-2.470241	1.3382486	0.	0.	0.		0.2667348	0.2558243
0.32645	→ 1.	-2.3382486	1.2062562	0.	0.	→	0.17209	
0.2243	0.	1.	-2.2062562	1.0742638	0.		0.112459	
0.12215	0.	0.	1.	-2.0742638	0.9422714		0.0707679	
0.02	0.	0.	0.	1.	-1.9422714		0.0364356	

xi =	A =						x =	error =
0.2667348	-2.261088	1.1387934	0.	0.	0.		0.2986169	0.0776258
0.17209	→ 1.	-2.1387934	1.0617416	0.	0.	→	0.2165442	
0.112459	0.	1.	-2.0617416	1.0078708	0.		0.154959	
0.0707679	0.	0.	1.	-2.0078708	0.9635086		0.1021374	
0.0364356	0.	0.	0.	1.	-1.9635086		0.0520178	

xi =	A =						x =	error =
0.2986169	-2.3022843	1.1962347	0.	0.	0.		0.2934083	0.0199159
0.2165442	→ 1.	-2.1962347	1.1166578	0.	0.	→	0.2064055	
0.154959	0.	1.	-2.1166578	1.0484046	0.		0.143201	
0.1021374	0.	0.	1.	-2.0484046	0.983643		0.0922373	
0.0520178	0.	0.	0.	1.	-1.983643		0.046499	

xi =	A =					x =	error =
0.2986169	-2.3022843	1.1962347	0.	0.	0.	0.2934083	0.0199159
0.2165442	→ 1.	-2.1962347	1.1166578	0.	0.	→ 0.2064055	
0.154959	0.	1.	-2.1166578	1.0484046	0.	0.143201	
0.1021374	0.	0.	1.	-2.0484046	0.983643	0.0922373	
0.0520178	0.	0.	0.	1.	-1.983643	0.046499	

xi =	A =					x =	error =
0.2934083	-2.295554	1.1831339	0.	0.	0.	0.2939532	0.0038642
0.2064055	→ 1.	-2.1831339	1.1014647	0.	0.	→ 0.208079	
0.143201	0.	1.	-2.1014647	1.0356124	0.	0.1455437	
0.0922373	0.	0.	1.	-2.0356124	0.9765119	0.0944136	
0.046499	0.	0.	0.	1.	-1.9765119	0.0477678	

xi =	A =					x =	error =
0.2939532	-2.2962581	1.1852964	0.	0.	0.	0.2939694	0.0005861
0.208079	→ 1.	-2.1852964	1.1044918	0.	0.	→ 0.2079055	
0.1455437	0.	1.	-2.1044918	1.0384244	0.	0.1451941	
0.0944136	0.	0.	1.	-2.0384244	0.9781514	0.0940409	
0.0477678	0.	0.	0.	1.	-1.9781514	0.0475398	

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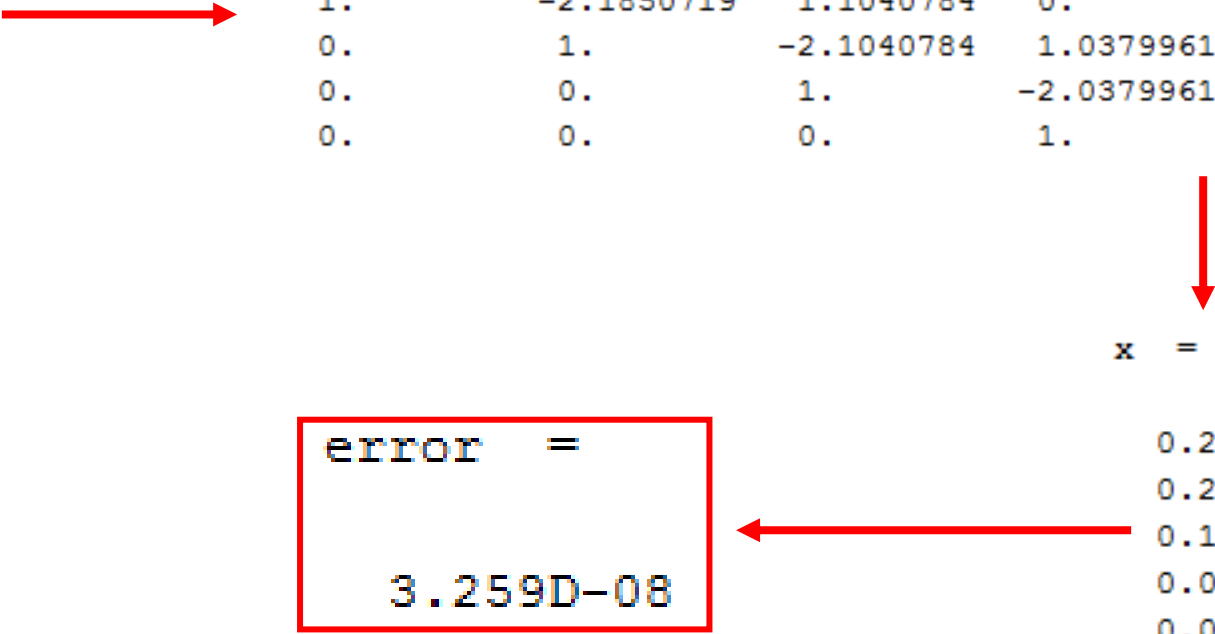
xi =
0.2939496
0.2079053
0.1452237
0.0940821
0.0475669

A =
-2.2962534  1.1850719  0.  0.  0.
1. -2.1850719  1.1040784  0.  0.
0.  1. -2.1040784  1.0379961  0.
0.  0.  1. -2.0379961  0.9778917
0.  0.  0.  1. -1.9778917

x =
0.2939496
0.2079053
0.1452237
0.0940821
0.0475669

error =
3.259D-08

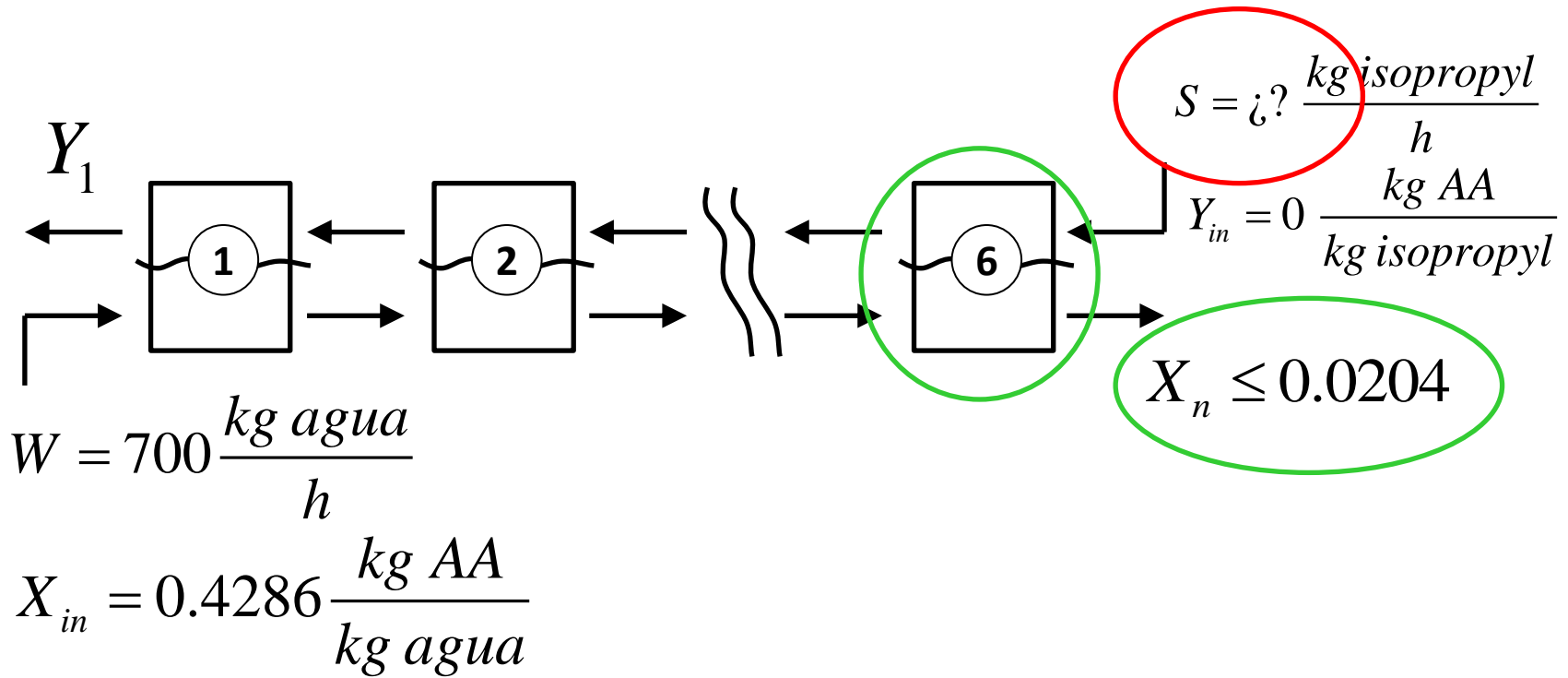
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W=700;
xin=0.4286;
S=2500;
yin=0;
n=5;
b=zeros(n,1);
b(1)=-xin;
xi=linspace(xin,0.02,n)';
chi = S*(0.3618*xi + 0.2566)/W;
error =1;
while error > 1e-6
A = diag(ones(1,n-1),-1) + diag(-(1+chi),0) + diag(chi(2:n),1);
x = Thomas(A,b);
error = sqrt(sum((x-xi).^2));
xi = x;
chi = S*(0.3618*xi + 0.2566)/W;
end

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